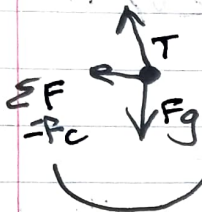
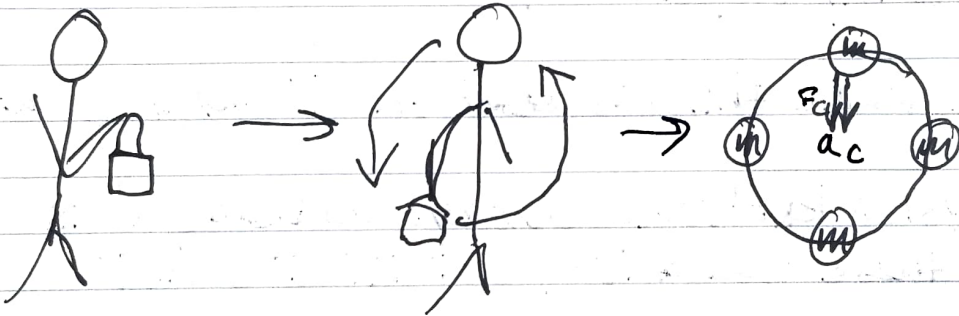


sum of these forces must add up to F_c , which we "just solved for." w/ equation on previous page...



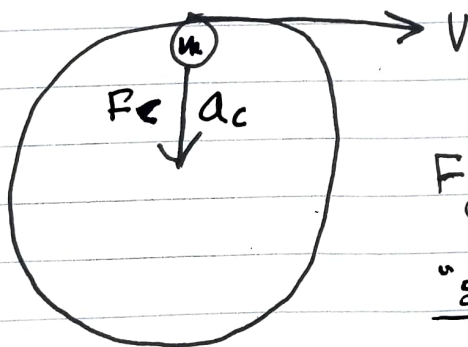
F_c IS the resultant vector, not another applied force

Mr. Clark swinging a bucket around:



$$F_c = m \cdot \frac{v^2}{r} \quad \leftarrow \begin{array}{l} \text{time how long it takes to travel the circumference,} \\ \text{divide circumference by this} \\ \text{time to get } v \end{array}$$

$\leftarrow \approx 1 \text{ m}$



$$F_g = m a_g = \frac{m v^2}{r} \quad \leftarrow \begin{array}{l} \text{value} \\ \text{of force} \end{array}$$

"source of the force"

If we know m , r , and a_g , we can solve for v

Then we can solve for the PERIOD, (how long it takes for one complete revolution)

FREQUENCY: $f = \frac{1}{T(\text{sec})} = \frac{1}{T_s}$ (Inverse of $T(\text{sec})$)