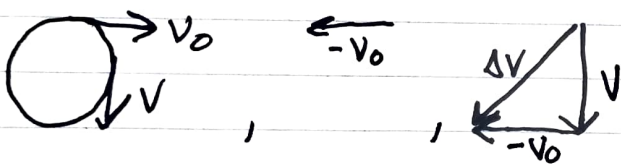


Centripetal force is not itself a force, per say, it is just whatever force it takes to keep a mass accelerating towards the center of a circular path.

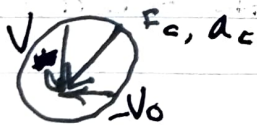
Centripetal force is always perpendicular to the velocity.



Also,  $\Delta V = V - V_0 = V + (-V_0)$

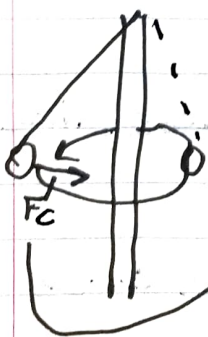


$\frac{\Delta V}{\Delta t}$  will get us avg  $V$  over  $t$  interval, so place vector on average / middle of interval



And that is why direction of  $F_c$  &  $a_c$  points in the direction it does.

AP practice test had a tetherball problem...



If you can see a circle,  $F_c$  is at play!

$F_c = m \cdot \frac{v^2}{r}$

But what is the cause? ~~By components~~