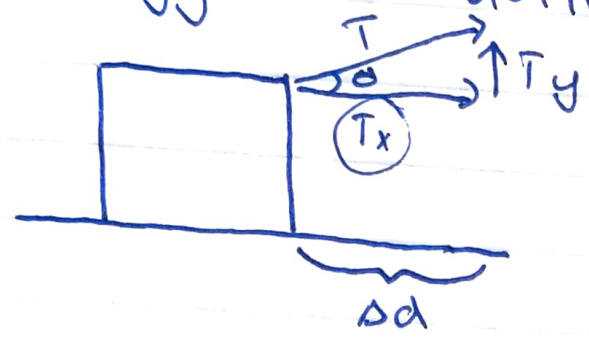


change in location

energy is the ability to do work

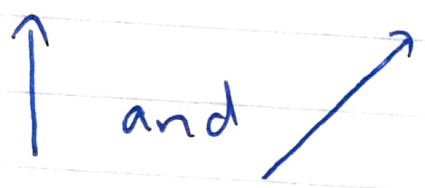


\* breaks do - work, can  $\cos 180$  OR just have force as -.

$$KE = \frac{1}{2}mv^2$$

$$W = F(\Delta d)(\cos\theta)$$

can do work, so has energy  
KE gives amount

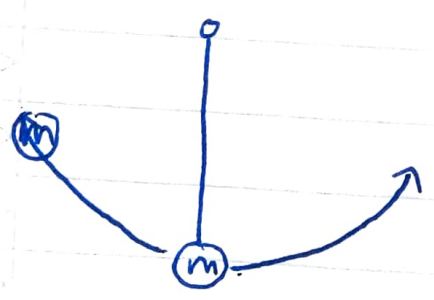


and

are the same work, they just have dif paths, making one easier

$$\text{Potential Energy (PE)} = mgh$$

### Practice Problem



find speed

as mass moves down, the force vector is shrinking.  
at bottom of swing, there is no horizontal force.

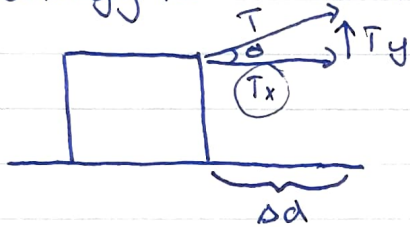
**NO FIXED FORCE**

relative to the bottom of the swing, still start at some height. So, we, energy is just  $mgh$ .  
potential

## Energy Notes

For work to exist, there must be an applied force and there must be a change in location

energy is the ability to do work

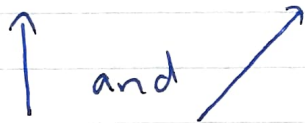


\* breaks do - work, can use  $\cos 180$  OR just have force as -.

$$KE = \frac{1}{2}mv^2$$

$$W = F(\Delta d) (\cos \theta)$$

can do work, so has energy, KE gives amount



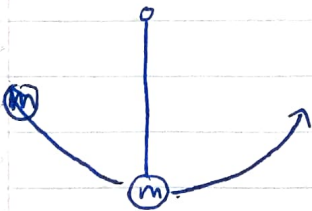
and

are the same work, they just have dif paths, making one easier

Potential Energy (PE) =  $mgh$

### Practice Problem

find speed



as mass moves down, the force vector is shrinking.  
at bottom of swing, there is no horizontal force.

**NO FIXED FORCE**

relative to the bottom of the swing, still start at some height. So, her energy is just  $mgh$ .  
potential

at bottom all of  $mgh$  has been transformed into KE

